Locking to ensure serializability

- Concurrent access to database items is controlled by strategies based on locking, timestamping or certification
- A lock is an access privilege to a single database item
- Lock Manager: manages the locks requested by transactions.
- Locks are
 - obtained by transactions
 - stored in a lock table
 - Lock is an entry of the form (item, lock-type, transactionID)
 - item is the item that the transaction locks
 - lock-type can be shared or exclusive
 - transactionID is the transaction identifier

Locking

- When a transaction holds an exclusive lock on a database item, no other transaction can read or write the item
 - used for writing
- When a transaction holds a shared lock, other transactions can obtain a shared lock on the same item
 - used for reading
- Assumptions (for now)
 - there is a single type of lock and
 - every transaction must obtain a lock on an item before accessing it.
 - all items locked by a transaction must be unlocked, otherwise no other transaction may gain access to them.
 - a transaction *must wait* until the lock it requests is released by the transaction that holds it.

Locking can prevent the lost update problem:

$$T_1 = \operatorname{Lock}_1(A) R_1(A) W_1(A) \operatorname{Unlock}_1(A) C_1$$

 $T_2 = \operatorname{Lock}_2(A) R_2(A) W_2(A) \operatorname{Unlock}_2(A) C_2$

- 2. Locking enforces a serial execution of the transactions
- 3. Locking can also prevent the blind write problem:

$$T_1 = \operatorname{Lock}_1(A) \ W_1(A) \ \operatorname{Lock}_1(B) \ W_1(B) \ \operatorname{Unlock}_1(A) \ \operatorname{Unlock}_1(B) \ C_1$$

 $T_2 = \operatorname{Lock}_2(A) \ W_2(A) \ \operatorname{Lock}_2(B) \ W_2(B) \ \operatorname{Unlock}_2(A) \ \operatorname{Unlock}_2(B) \ C_1$

Then the following schedule is valid:

```
Lock<sub>1</sub>(A) W<sub>1</sub>(A) Lock<sub>1</sub>(B) W<sub>1</sub>(B) Unlock<sub>1</sub>(A) Lock<sub>2</sub>(A) W<sub>2</sub>(A) Unlock<sub>1</sub>(B) Lock<sub>2</sub>(B) W<sub>2</sub>(B) Unlock<sub>2</sub>(A) Unlock<sub>2</sub>(B) C<sub>1</sub> C<sub>2</sub>
```

LiveLock

- Undesirable phenomena if locks are granted in an arbitrary manner
- Example:
 - while T2 is waiting for T1 to release the lock on A, another transaction T3 that has also requested a lock on A is granted the lock instead of T2. When T3 releases the lock on A the lock is granted to T4 etc.
- Livelock: The situation where a transaction may wait for ever while other transactions obtain a lock on a database item
 - Can be avoided by using a first-come-first-served lock granting strategy but, even then a deadlock might occur

Deadlock

- Occurs when a transaction is waiting to lock an item that is currently locked by some other transaction
- Example: Consider the transactions:

```
T_1 = Lock_1(A) \ Lock_1(B) \ .... \ Unlock_1(A) \ Unlock_1(B) \ C_1

T_2 = Lock_2(B) \ Lock_2(A) \ .... \ Unlock_2(B) \ Unlock_1(A) \ C_2
```

- \blacksquare Assume T_1 is granted a lock on A and T_2 is granted a lock on B
- Then T_1 requests a lock on B but is **forced to wait** because T_2 has the lock on B.
- Similarly, T_2 requests a lock on A but is **forced to wait** because T_1 has the lock on A.

Neither transaction can proceed because each one is waiting for the other to release a lock: both processes wait for ever

Different solutions for Deadlocks

- **Solution 1:** Require each transaction to request all locks at once. Either all locks are granted or none.
- **Solution 2:** Assign an arbitrary linear order to the items and require all transactions to request their locks in that order.
- **Solution 3:** Do nothing to prevent deadlocks: abort one or more of the deadlocked transactions if a deadlock arises.

Deadlock Discovery

- Deadlocks can be discovered using wait-for graphs:
 - ■Given a set of transactions S, a wait-for graph is a directed graph:
 - vertices correspond to transactions in the set
 - there exists an edge from T_i to T_j if T_i is waiting to lock an item on which T_j is holding a lock.
- Theorem: A set of transactions is deadlocked if and only if there exists a
 cycle in the wait-for graph.
- **Example:** The wait-for graph for the transactions contains a cycle

$$T_1 = Lock_1(A) Lock_1(B) \dots Unlock_1(A) Unlock_1(B) C_1$$

$$T_2 = Lock_2(B) Lock_2(A) \dots Unlock_2(B) Unlock_2(A) C_2$$



2-Phase Locking (2PL)

- 2-Phase Locking (2PL): a protocol ensuring serializability of schedules
- Definition: A schedule is said to obey the 2-phase locking protocol if the following rules are obeyed by each transaction in the schedule
 - When a transaction attempts to read (write) a data item, a read lock (write lock) must be acquired first
 - If a transaction T_1 holds a lock on data item A for operation op_1 and some other transaction T_2 requests the lock to perform a conflicting operation op_2 on the same item, the transaction requesting the lock (T_2) is forced to wait until no conflicting lock on the item exists
 - (only read locks are non-conflicting)
 - 3 A transaction cannot request additional locks once it releases any lock!

2-Phase Locking (2PL): Conflicts

- two locks by the same transaction never conflict
- a transaction with a read lock on a data item can acquire a write lock on the item as long as no other transaction has a lock on the data item;
- a transaction with a write lock on a data item need not acquire a read lock on the same item.
- 2PL permits the early release of locks
- Notation:
 - RLi: transaction Ti obtains a read lock
 - \mathbf{W}_{L_i} : transaction T_i obtains a write lock
 - \blacksquare RU_i : transaction T_i releases a read lock
 - $\bigvee U_i$: transaction T_i releases a write lock

Does the following schedule obey the 2PL protocol?

$$S = R_1(A) R_2(B) W_2(B) R_2(A) W_2(A) R_1(B) C_1 C_2$$

Lock/unlock operations must be added first. The schedule becomes:

$$S' = \begin{bmatrix} RL_1(A) & R_1(A) & RU_1(A) & RL_2(B) & R_2(B) & WL_2(B) & WU_2(B) \end{bmatrix}$$

 $RL_2(A) & R_2(A) & WL_2(A) & WL_2(A) & RL_1(B) & R_1(B) & C_1 & C_2 \end{bmatrix}$

- Rule 1: no item is accessed without a lock being granted to the requested transaction
 - obeyed

Does the following schedule obey the 2PL protocol?

$$S = R_1(A) R_2(B) W_2(B) R_2(A) W_2(A) R_1(B) C_1 C_2$$

Lock/unlock operations must be added first. The schedule becomes:

$$S = RL_1(A) R_1(A) RU_1(A) RL_2(B) R_2(B) WL_2(B) W_2(B) WU_2(B)$$

$$RL_2(A) R_2(A) WL_2(A) W_2(A) RL_1(B) R_1(B) C_1 C_2$$

- Rule 2: no two conflicting operations have a lock on the same item at the same time
 - obeyed

Does the following schedule obey the 2PL protocol?

$$S = R_1(A) R_2(B) W_2(B) R_2(A) W_2(A) R_1(B) C_1 C_2$$

Lock/unlock operations must be added first. The schedule becomes:

$$S = RL_1(A) R_1(A) RU_1(A) RL_2(B) R_2(B) WL_2(B) W_2(B) WU_2(B) RL_2(A)$$

$$R_2(A) WL_2(A) W_2(A) RL_1(B) R_1(B) C_1 C_2$$

- Rule 3: A transaction cannot request additional locks once it releases any lock!
 - Violated!

Applying the 2PL discipline to the schedule

$$S = R_1(A) R_2(B) W_2(B) R_2(A) W_2(A) R_1(B) C_1 C_2$$

yields the following interleaved execution (all locks released at commit)

T_1	$RL_1(A)$	$R_1(A)$									
T_2			$RL_2(B)$	$R_2(B)$	$WL_2(B)$	$W_2($	<i>B)</i>	$RL_2(A)$	4)	$R_2(A)$	$WL_2(A)$
				 \psi							
T_1		$RL_1(B)$	wait	abort			res	start	C_1		
T_2	wait				$W_2(A)$	C_2					

The deadlock had to be resolved by aborting and restarting one of the transactions.

Under 2PL S is equivalent to the serial schedule T_2 T_4

- Theorem: A schedule that follows 2PL is always serializable.
- Example:
 - The schedule $S' = R_1(A) R_2(A) W_1(A) W_2(A) C_1 C_2$ is forced to execute as follows by a transaction scheduler that uses 2PL:

<i>T1</i>	$RL_1(A)$	$R_1(A)$			$WL_1(A)$	wait			abort
<i>T2</i>			$RL_2(A)$	$R_2(A)$			$WL_2(A)$	wait	

<i>T1</i>			restart	C_1
<i>T2</i>	$W_2(A)$	<i>C2</i>		

If no locking were imposed S' would be non-serializable

- Example: Consider the following transactions
 - \blacksquare T₁: W₁(U) R₁(Y) W₁(U) C₁
 - \blacksquare T₂: R₂(X) W₂(U) W₂(Y) W₂(W) C₂
 - \blacksquare T₃: W₃(W) R₃(X) W₃(U) W₃(Z) C₃
- Is it possible to add lock/unlock steps to these transactions so that every legal schedule is serializable?
- Answer: yes by adding add lock/unlock steps using 2PL

- 1. T_1 : $W_1(U) R_1(Y) W_1(U) C_1$
- 2. T_2 : $R_2(X)$ $W_2(U)$ $W_2(Y)$ $W_2(W)$ C_2
- 3. T_3 : $W_3(W)$ $R_3(X)$ $W_3(U)$ $W_3(Z)$ C_3

T_1								
T_2					$RL_2(X)$	$WL_2(U)$	wait	
T ₃	WL ₃ (W)	$RL_3(X)$	WL ₃ (U)	WL ₃ (Z)			W ₃ (W)	i

	T_1							$WL_1(U)$	
>	T_2	wait	wait	wait	wait	wait	$WL_2(Y)$		>
	T ₃	WU₃(W)	$R_3(X)$	RU₃(X)	<i>W</i> ₃(<i>U</i>)	<i>WU</i> ₃(<i>U</i>)			

- 1. T_1 : $W_1(U) R_1(Y) W_1(U) C_1$
- 2. T_2 : $R_2(X)$ $W_2(U)$ $W_2(Y)$ $W_2(W)$ C_2
- 3. T_3 : $W_3(W) R_3(X) W_3(U) W_3(Z) C_3$

	T_1	wait	wait	wait	wait	wait	$RL_1(Y)$	wait	
>	T_2	$WL_2(W)$	$R_2(X)$		$W_2(U)$	$WU_2(U)$		$W_2(Y)$	
	<i>T</i> ₃			$W_3(Z)$					

 T_1	$WL_1(U)$	wait	$W_1(U)$					$R_1(Y)$	$W_1(U)$	
T_2					$W_2(W)$	$WU_2(W)$	<i>C</i> ₂			
<i>T</i> ₃		$WU_3(Z)$		<i>C</i> ₃						

	T_1	$WU_1(U)$	$RU_1(Y)$	C_1
>	T_2			
	<i>T</i> ₃			

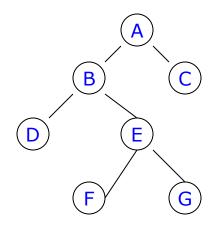
Tree Protocols

- □ In many instances, the set of items accessed by a transaction can be viewed naturally as a tree or forest
- □ E.g., items are nodes in a B-tree; items have different granularities (relations, tuples, attributes).
- □ Two different policies may be followed:
- 1. each node in the tree is locked independently of its descendants
- 2. a lock on an item implies a lock on all of its descendants
- □ The latter policy saves time by avoiding locking many items separately
- □ E.g., when the content of an entire relation needs to be read, the relation can be locked in one step instead of locking each tuple individually

Tree Protocol #1 (TP1)

- Definition: A transaction obeys the TP1 policy if:
 - except for the first item locked, no item can be locked unless the transaction holds a lock on the item's parent
 - no item is ever locked twice by a transaction
- □ A schedule obeys the TP1 policy if every transaction in the schedule obeys it.

Example: Consider the following hierarchy of items



The following schedule obeys TP1

T ₁	L ₁ (A)	L ₁ (B)	L ₁ (D)	U₁(B)		L ₁ (C)		U ₁ (D)	
T ₂					L ₂ (B)				
T ₃							L ₃ (E)		L ₃ (F)

T_1	U ₁ (A)		$U_1(C)$						
T ₂					L ₂ (E)		U ₂ (B)		U ₂ (E)
T ₃		L ₃ (G)		U ₃ (E)		U ₃ (F)		U ₃ (G)	

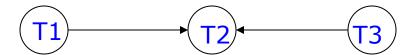
Does it obey 2PL?

Note: A transaction that obeys TP1 need not necessarily obey 2PL.

Theorem: Every legal schedule that obeys the protocol TP1 is serializable

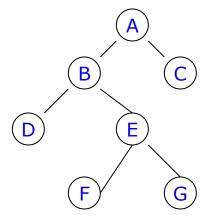
Example: The schedule of the previous example is serializable.

its precedence graph is acyclic



Tree Protocol #2 (TP2)

- □ Definition: A transaction obeys the TP2 policy if whenever an item is locked, all its descendants are locked
- □ Indiscriminate locking under TP2 may result in schedules where two transactions hold a lock on the same item at the same time.
- **Example:** in the hierarchy



transaction T₁ locks E (therefore F,G). Then T₂ locks B, therefore acquires conflicting locks on E,F,G.

To avoid conflicts of this sort, the warning protocol may be followed:

- □ a transaction cannot place a lock on an item unless it first places a warning on all its ancestors
- □ a warning on an item X prevents any other transaction from locking X, but does not prevent them from also placing a warning on X, or from locking some descendant of X that does not have a warning

Definition: A transaction obeys the warning protocol if:

- 1. It begins by placing a lock or warning at the root
- 2. It does not place a lock or warning on an item unless it holds a warning on its parent.
- 3. It does not remove a lock or warning unless it holds no lock or warnings on its children
- 4. It obeys 2PL in the sense that all unlock operations follow all warnings or lock operations

- □ This protocol acts in conjunction with the assumption that a lock can be placed on an item only if no other transaction has a lock or warning on the same item.
- □ Furthermore, a warning can be placed on an item as long as not other transaction has a lock on the item.
- □ Theorem: Legal schedules obeying the warning protocol are serializable.